| Course Code EC 2 | ALLIEDMATHEMATICS -II |  |
| :---: | :--- | :--- |
| $\begin{array}{c}\text { Year \& Semester: } \\ \text { I YEAR \& II SEMESTER } \\ \text { B.Sc. Physics / Chemistry }\end{array}$ | Course Category | ELECTIVE |
| Credits |  |  |
| $\mathbf{3}$ |  |  |$]$| Total:(L+T+P) |
| :---: |
| Perweek: |
| $3+1=4$ |

## Course Objectives

## Objectives:

- This course is designed for the students to expose the to pics such as expansions of trigonometric functions, partial differential equations, and integration.
- To gain knowledge of expansions of trigonometric functions.
- To acquire the knowledge of solving partial differential equations.
- Basic knowledge of vector calculus.
- To understand and carryout the calculations of a given set of data.

| UNIT | Details | No. of Hou rs |
| :---: | :---: | :---: |
| I | Vector Calculus: <br> Introduction about Vector Calculus - Gradient, Divergence and curl (probl only). Integration of vectors: Integration of vector functions, Line integral Surface integrals - Green's theorem in the plane (statement only) - G Divergence theorem (statement only) - Problems - Stoke's theorem (staten only) - Problems <br> Text Book 1 | 12 |
| II | Partial differential equation <br> Introduction of Partial differential equation from differential equations - Forma of Partial differential equations by eliminating arbitrary constants and arbit functions* - Solutions of standard types of first order equations$f(p, q)=0, f(x, p, q)=0, f(y, p, q)=0, f(z, p, q)=0, f_{1}(x, p)=f_{2}(y, q), z=p x+q$ $(p, q)$, Clairaut's form- Lagrange method of solving linear partial differer equations $\mathrm{P} p+\mathrm{Q} q=\mathrm{R}$. (problems only) <br> Text Book 2 | 12 |
| III | Total differential equations: <br> Introduction of total differential equations - Bessel's equations: Bessel's equati Solutions of Bessel's general differential equations (derivations not includ General solution of Bessel's equations - Recurrence formulae (derivation included) - Simple problems using Recurrence relation. <br> Text Book 1 | 12 |


| IV | Laplace Transforms: <br> Introduction of Laplace Transforms- Definition - Laplace Transform of $e^{\text {at }}$, $\cos$ a $\sin \quad a t, \quad \cosh \quad a t, \quad \sinh \quad a t, \quad t^{n}, n$, apositiveinteger $\quad-e^{a t f}(t), t^{\mathrm{n}} f(\mathrm{t}), \mathrm{f}(\mathrm{t}), \mathrm{f} \square(\mathrm{t}$ InverseLaplaceTransformofstandard functions - Solving differential equations Second order with constant coefficients using Laplace Transform. <br> Text Book 3 | 12 |
| :---: | :---: | :---: |
| V | Fourier Series: Introduction of Fourier Series: Definition- Dirchlet's conditions- Fourier series of periodicity $2 \pi$ and 21 - Odd and even functions -Root mean square value of a function Half range series: Introduction- Half range series -Cosin series- sin series - Parseval's theorem - Harmonic analysis. <br> Text Book 2 | 12 |
|  | Total | 60 |
| Course Outcomes |  |  |
| CO | Understand the I and II integrals |  |
| 1 | Understand properties of integrals, Laplace transform. |  |
| 2 | Understand first order differential equations. |  |
| 3 | Analysis Theorems and proves. |  |
| 4 | Evaluate the importance of shifting properties. |  |
| Text Book |  |  |
| 1 | P.Kandasamy and K.Thilagavathy. "Mathematics for B. Sc., Br. -I, Volume-II and Volume-III", S.Chand \& Company Ltd, First edition, 2004. |  |
| 2 | S.Narayanan and T.K. Manickavasagam Pillai," Calculus Vol. III ", S.Viswanathan (Printers and Publishers, (P)Ltd, Chennai, 2010. |  |
| 3 | S. Narayanan and T. K. Manickavasagam Pillai, "Calculus Vol. III " S.Viswanathan (Printers and Publishers, (P)Ltd, Chennai, 1997. |  |
| References Book |  |  |
| 1 .P. Kandasamy and K.Thilagavathy, "Mathematics, Vol Iv", S.Chand And Company Ltd.,- 2004 <br> 1. Shanti Narayan, "Differential Calculus", Shyamlal Charitable Trust, New Delhi,2004. <br> 2. P.N.Chatterji," Vector Calculus ", $1^{\text {st }}$ Edition, Rajhans Prakahan Publishers, Chennai,1998. |  |  |
| Web Resources |  |  |


| 1. | https://ocw.mit.edu/courses/mathematics/18-336-numerical-methods-for-partial- <br> differential-equations-spring-2009/ |
| :---: | :--- |
| 2. | https://www.mathworks.com |

## Course Outcome:

| On the successful course completion, students will be able to: |  | Cognitive <br> Level |
| :--- | :--- | :--- |
| CO1 | Find out the approximate roots of polynomial equations. | K1 |
| CO2 | Develop the skills of finding roots of simultaneous equations | K1,K2 |
| CO3 | Demonstrate knowledge about matrices and their applications | K2,K3 |
| CO4 | Carryout calculations of problems related to curvature and <br> radius of curvature. | K4 |
| CO5 | Evaluate double and triple Integrals, and enabled to underst <br> and the Applications of integration in real-life situations. | K4, K5 |

K1- Remember; K2- Understand; K3-Apply; K4- Analyse; K5- Evaluate; K6- Create
Relationship Matrix for Course Outcomes, Programme Outcomes and Programme Specific Outcomes

|  | PO1 | PO2 | PO3 | PO4 | PO5 | PSO1 | PSO2 | PSO3 | PSO4 | PSO5 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| CO1 | M | S | S | S | M | S | S | S | M | M |
| CO 2 | M | M | S | M | S | M | S | M | M | S |
| CO 3 | S | S | M | M | S | S | M | S | M | M |
| CO 4 | S | M | M | S | M | M | S | S | M | M |
| CO 5 | M | S | S | M | S | M | S | M | M | S |

*S-Strong; M-Medium; L-Low

